

# Observation of Bose-Einstein condensation of $^4\text{He}^*$

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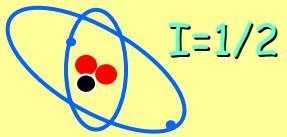
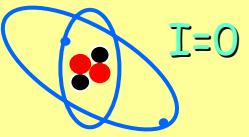
**Wim Vassen**

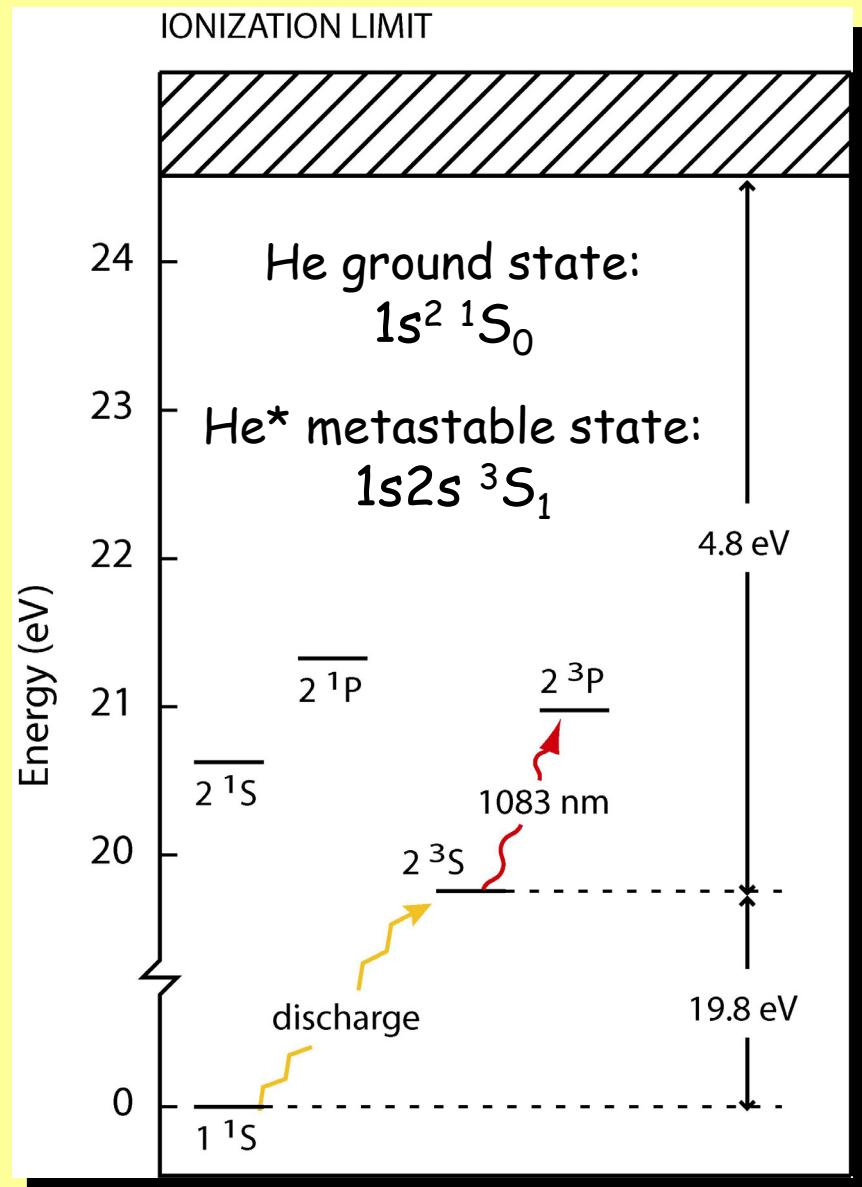
*BEC : January 27, 2005*  
*Phys. Rev. A73, 031603(R) (2006)*

Workshop on Quantum-Atom Optics  
Kioloa, Australia, Feb.11, 2006

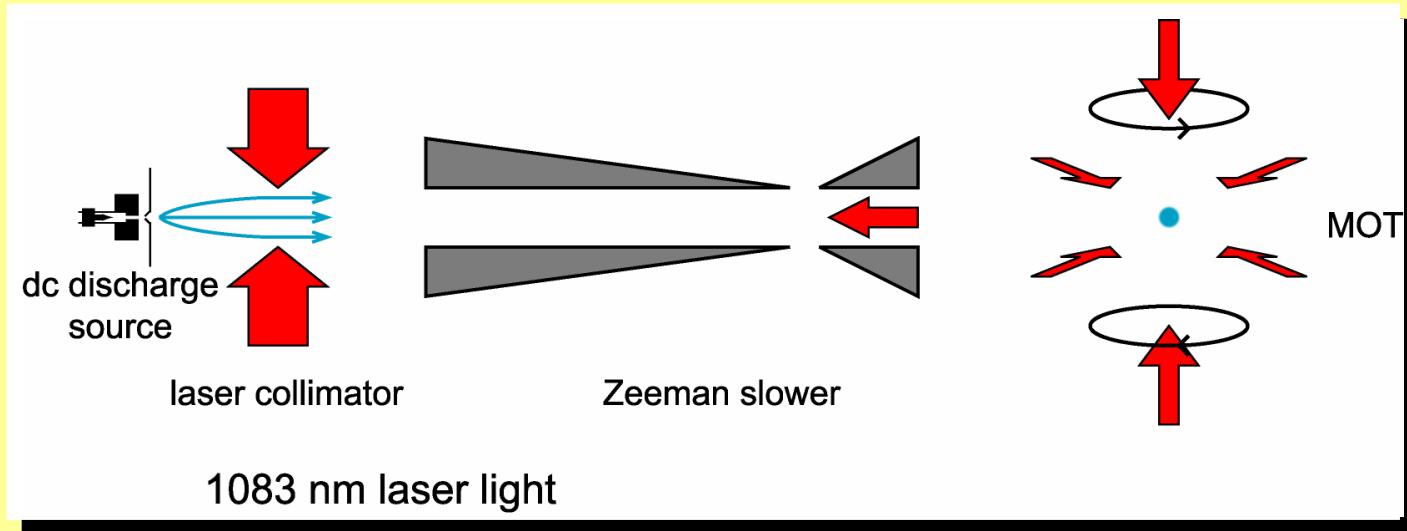


# Metastable helium

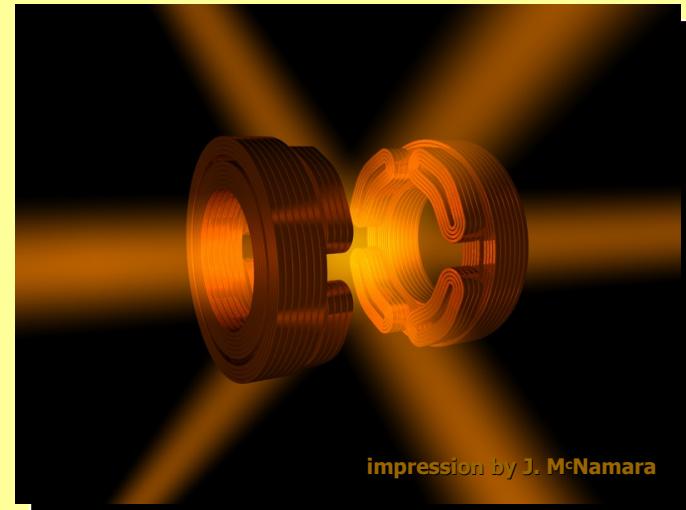
- $2\ ^3S_1$  state:  $\tau = 8000$  s,  
Laser cooling:  $\lambda=1083$  nm
- 20 eV internal energy: single He\* atom detection
- Penning ionization: He+  
(  $\text{He}^* + \text{He}^* \rightarrow \text{He} + \text{He}^+ + \text{e}^-$  )
- $^3\text{He}^*$  fermion and  $^4\text{He}^*$  boson
  - 
  - 
- Scattering lengths large and positive!  
 $a_{44}=+7.512$  nm ;  $a_{34}=+28.8$  nm



# Magneto-optical trap (MOT) setup



Loading and cooling of  $\sim 2 \times 10^9$   ${}^4\text{He}^*$  atoms in  $\sim 1$  second at  $T \sim 1$  mK  
(phase-space density  $\sim 10^{-7}$ )

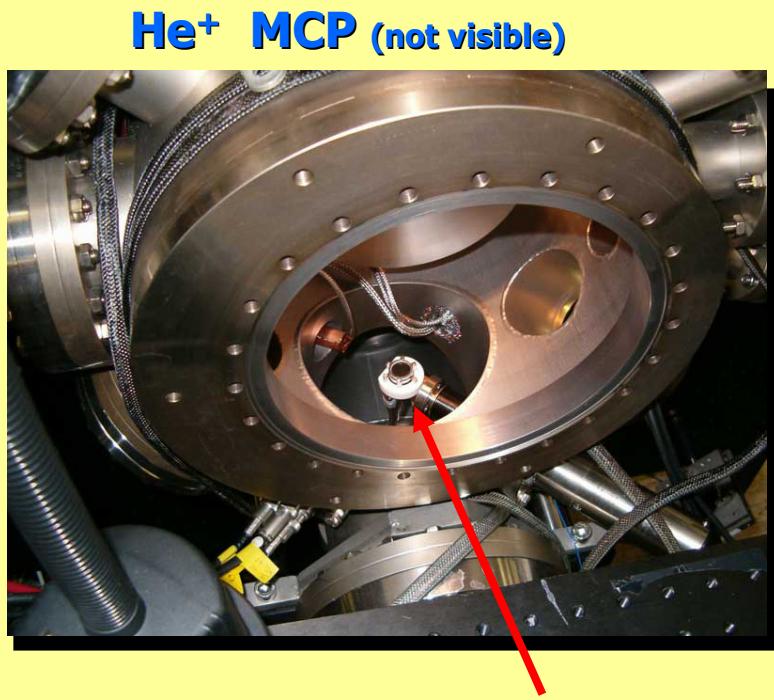


impression by J. McNamara

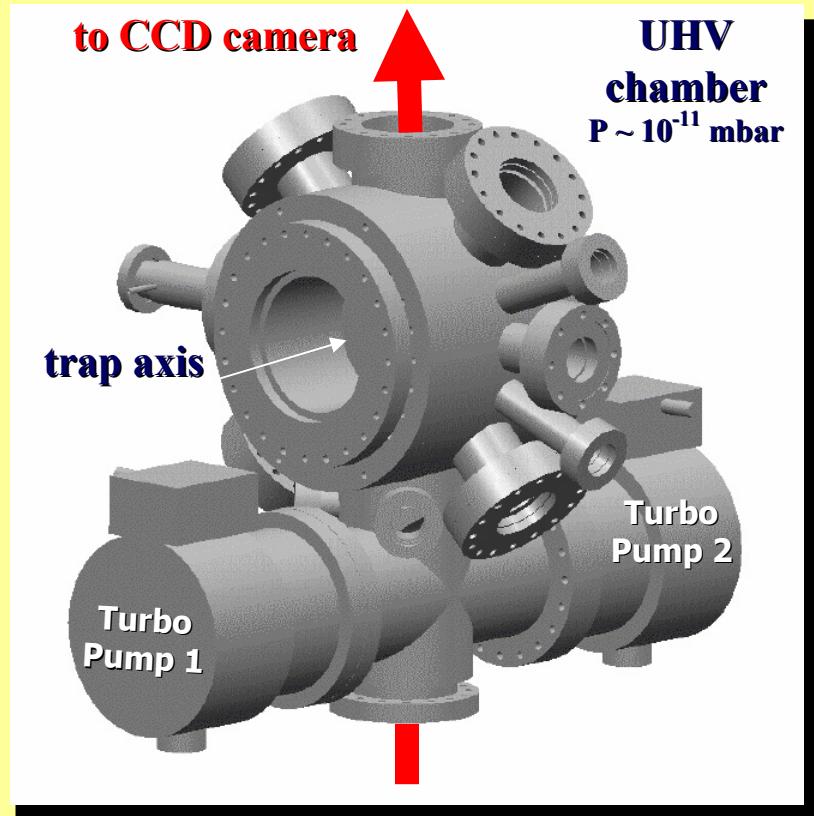


# Detection methods

## $\text{He}^*$ , $\text{He}^+$ , absorption imaging

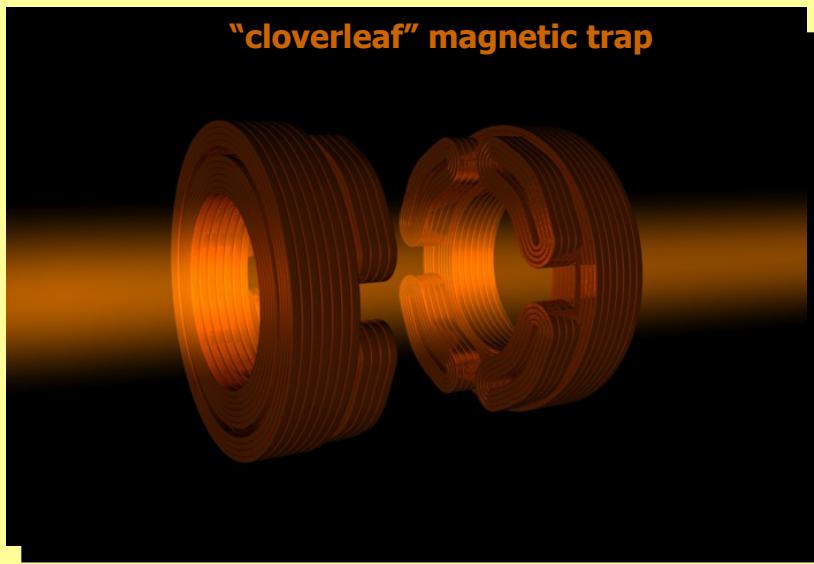


$\text{He}^* \text{ MCP}$   
on translation stage



# 1-D Doppler cooling in magnetic trap

$$V_{ext}(r) = \frac{m}{2} \omega_x^2 x^2 + \frac{m}{2} \omega_y^2 y^2 + \frac{m}{2} \omega_z^2 z^2 \quad (\omega_x = \omega_y \gg \omega_z)$$



**Circularly polarized laser beam** along the z-axis at high (24 G)  $B_0$

Laser cooling in **axial** (z) direction:  
( $\sigma^+$ - cycling transition)

Cooling in **radial** direction:  
**reabsorption of spontaneously emitted red-detuned photons**  
(collisions, anharmonic mixing)

**NEW** Successfully used to cool spin-polarized  ${}^3\text{He}^*$  fermions ( $>1\times 10^9$ )

s-wave collisions are forbidden – Pauli principle

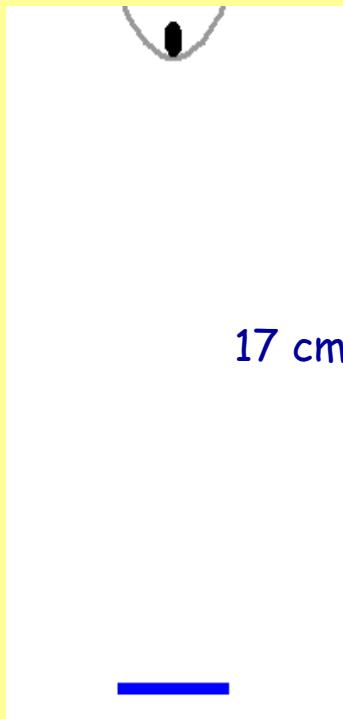
Cooling in radial direction – reabsorption of scattered photons



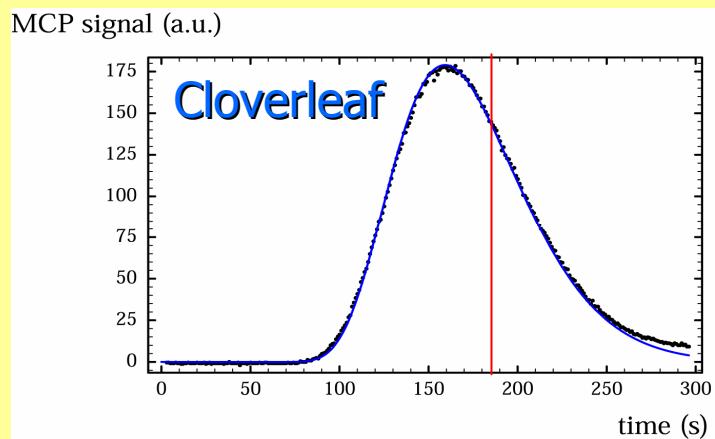
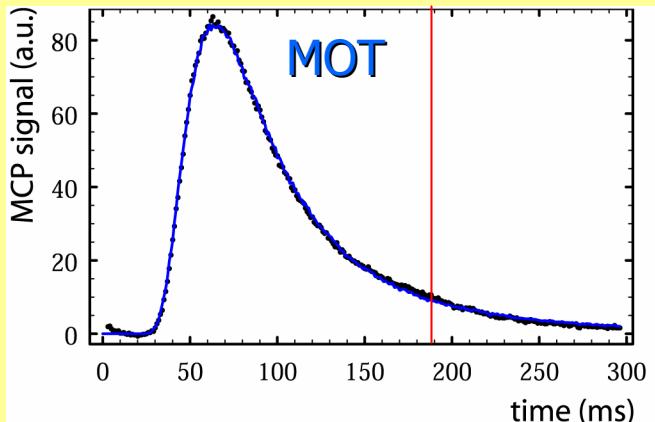
# Characterization trapped He\* cloud

## Time-of-flight on microchannel plate detector (MCP)

$$s = s_o - \frac{1}{2} g t^2$$



$t_{T=0} = 190$  ms



- **MOT:**  
 $T = 1$  mK,  $N = 1.0 \times 10^9$
- **Cloverleaf, after 1D Doppler cooling:**  
 $T = 0.15$  mK,  $N = 6 \times 10^8$

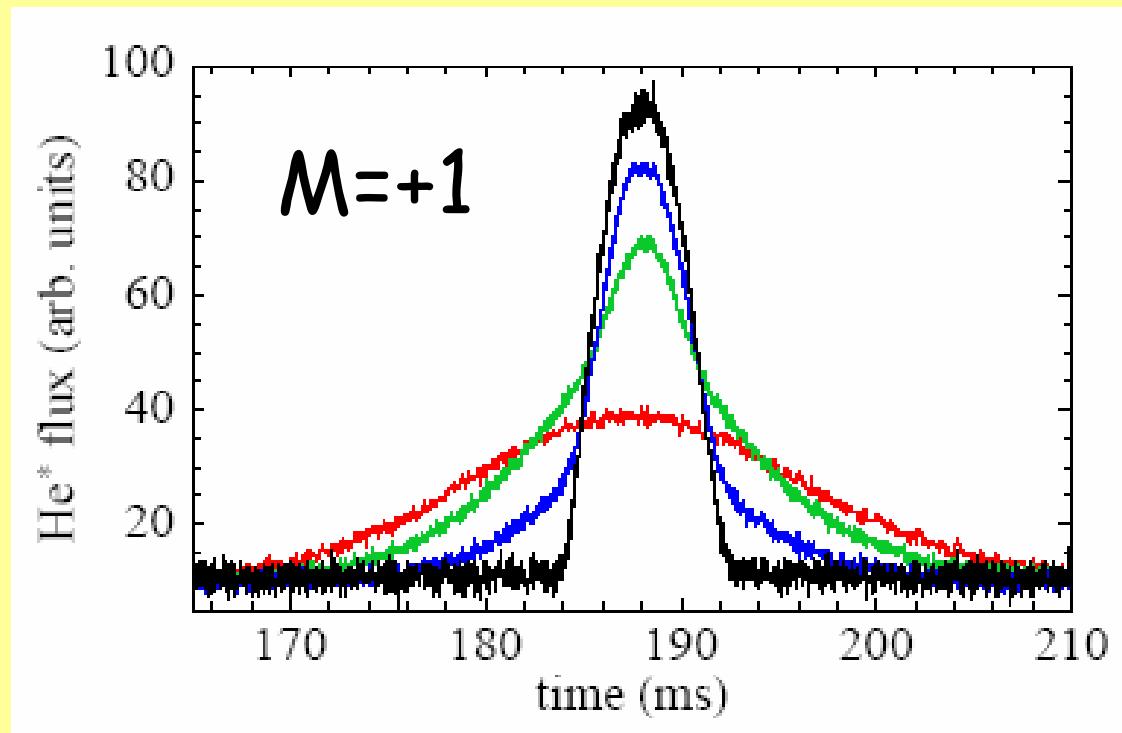
$$T = 3 \times T_D,$$

Phase-space density increase  $\sim 600$

No atoms lost during Doppler cooling



BEC reached after 15 s rf  
(50 - 8 MHz) evaporative cooling ramp

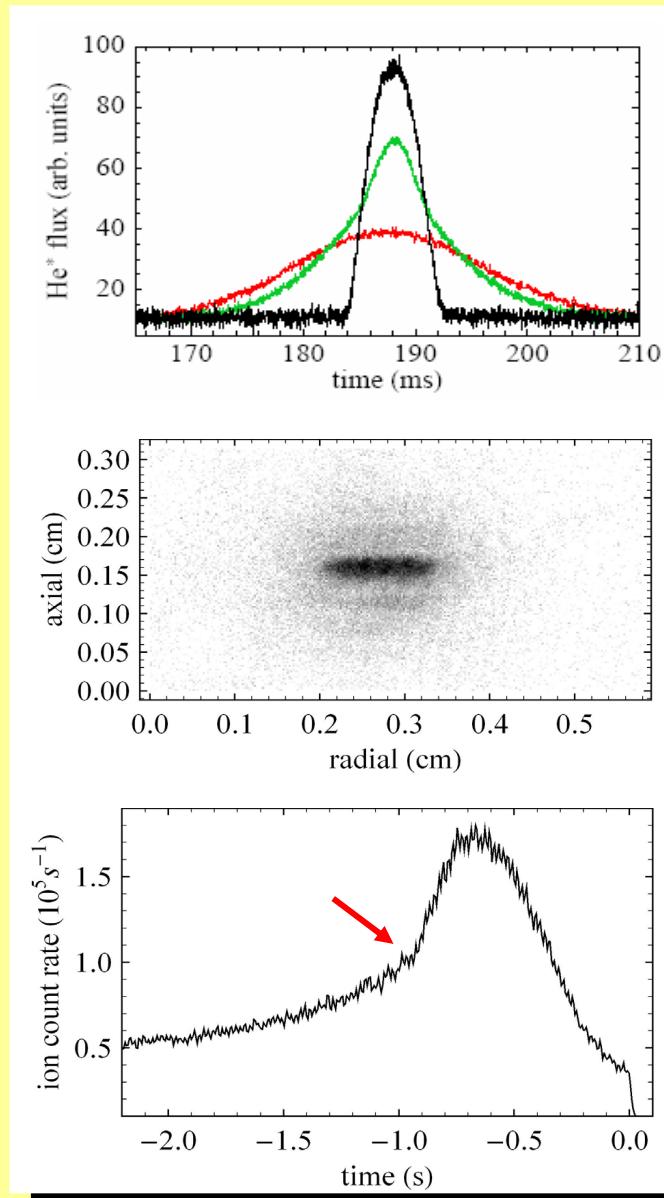


BEC also observed after 2 s rf ramp  
(with less atoms)



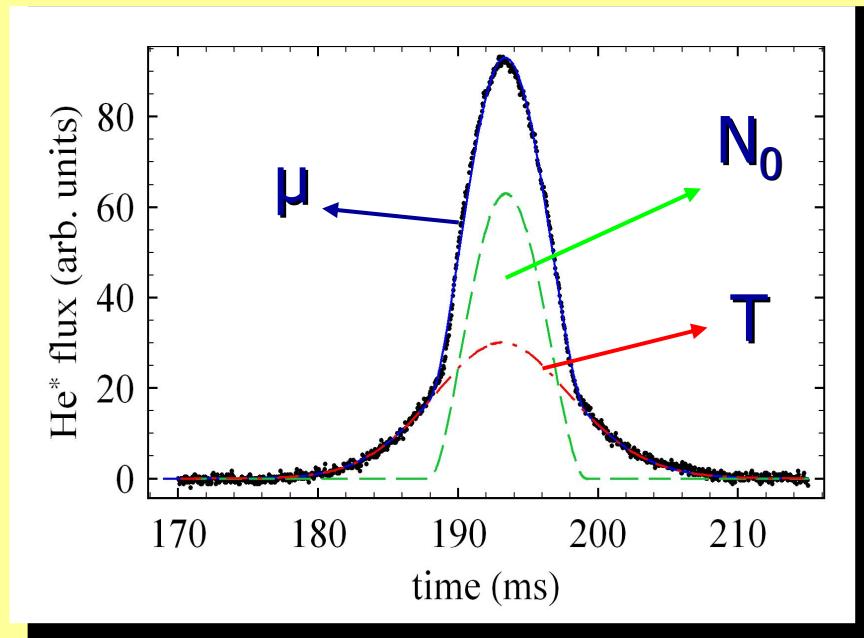
# Observation of BEC

- Time-of-flight:
  - Number of atoms,  $N_0(\text{BEC})$ ,  $N_{\text{th}}$
  - Temperature,  $T$
  - Expansion in x-direction (vertical)
- Absorption imaging:
  - MCP calibration (MOT)
  - Expansion in y,z plane
- $\text{He}^+$  ions: non-destructive
  - Loss processes
  - BEC formation and decay



from fit noncondensed part:  $T_c \approx 2 \mu\text{K}$  and  $N_T$

$N_0$  via  $\mu$  or integral



Method 1:

$N_0 = \text{integral of green curve times MCP calibration (20% accuracy)}$

maximum number  
deduced:  $N_0 = 1 \times 10^7$

However: saturation of  
MCP for  $N_0 > 1 \times 10^6$

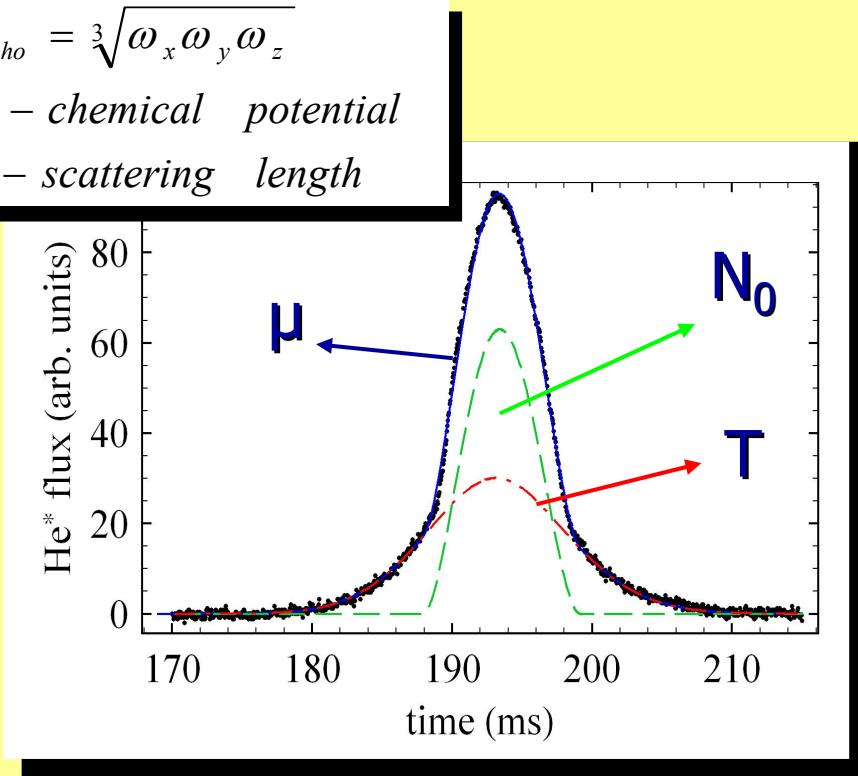
$N_0$  too small



## Method 2 : $N_0$ via chemical potential

$$\mu_{TF} = \frac{\hbar\omega_{ho}}{2} \left( \frac{15N_0a}{\sqrt{\hbar/(m\omega_{ho})}} \right)^{2/5}$$

$\omega_{ho} = \sqrt[3]{\omega_x \omega_y \omega_z}$   
 $\mu$  - chemical potential  
 $a$  - scattering length



$\mu$  extracted from width of TOF signal (radial expansion only!) gives  $N_0 = 5 \times 10^7$

However: Absorption imaging reveals anomalous expansion of the BEC as a result of too slow trap switch-off:  
stretching in radial direction.

**$N_0$  too large**

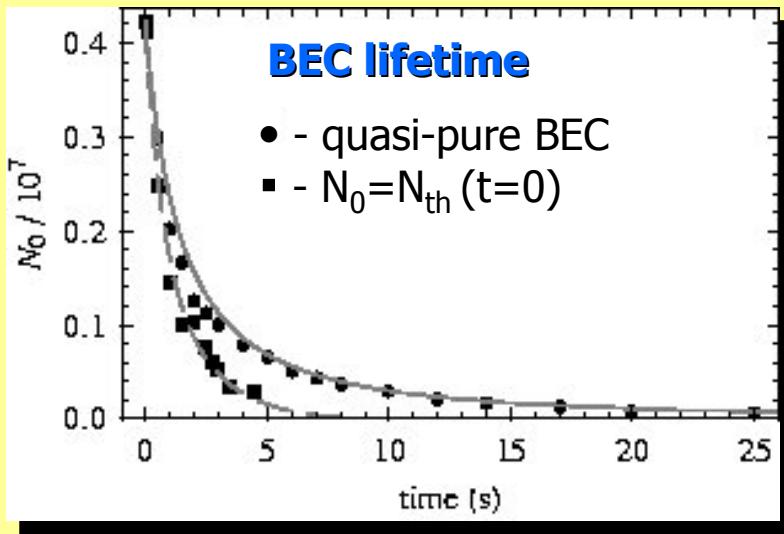
**$1.5 \times 10^7 < N_0 < 4 \times 10^7$**



# Decay of the condensate: the effect of atomic transfer

BEC is detected up to  $t=75$  s

(Cloud lifetime  $\tau \sim 3$  min)



## Model :

P. Zin, A. Dragan, S. Charzynski, N. Herschbach, P. Tol, W. Hogervorst, W. Vassen, J. Phys. B**36**, L149 (2003)

## Assumption:

BEC + thermal cloud remain in thermodynamic equilibrium during decay

- Output:  $N_0(t)$ ,  $N_{th}(t)$ ,  $T(t)$
- Input:  $N_0(0)$ ,  $N_{th}(0)$ ,  $\tau$  - lifetime,  $\beta$  (two-),  $L$  (three-body loss rate constant)



# Decay of the condensate: the effect of atomic transfer

- Atoms lost from a condensate are lost from the trap, or transferred to the thermal cloud.
- The presence of a thermal cloud reduces the lifetime of a BEC

Assumption:

only background gas collisions

$$\dot{N}_C = -\frac{1}{\tau} \left( N_C + \frac{1}{4} N_T \right)$$



# Atomic transfer

## simplest case: non-interacting bosons & only background collisions

Only background gas collisions cause trap loss

$$N_T = g_3(1) \left( \frac{kT}{\hbar\omega} \right)^3$$

$$E_T = \hbar\omega \frac{\pi^4}{30} \left( \frac{kT}{\hbar\omega} \right)^4 = \alpha N_T^{4/3}$$

$$\dot{N} = -\frac{1}{\tau} N = \dot{N}_C + \dot{N}_T = -\frac{1}{\tau} (N_C + N_T)$$

$$\dot{E} = -\frac{1}{\tau} E = \dot{E}_C + \dot{E}_T = -\frac{1}{\tau} (E_C + E_T)$$

$$\dot{N}_T = -\frac{1}{\tau} N_T \frac{1 - \varepsilon_0 N_T / E_T}{4/3 - \varepsilon_0 N_T / E_T} \simeq -\frac{3}{4\tau} N_T$$

$$\dot{N}_C = -\frac{1}{\tau} \left( N_C + \frac{1}{4} N_T \right)$$

$$\varepsilon_0 = \frac{1}{2} \hbar (\omega_x + \omega_y + \omega_z)$$

BEC decay depends on  $N_T$



# including two- and three-body losses

$$-\dot{N} = \frac{1}{\tau} N + 2\chi \int d^3r \left( \frac{1}{2!} n_C^2 + 2n_C n_T + n_T^2 \right) + \\ 3\xi \int d^3r \left( \frac{1}{3!} n_C^3 + \frac{3}{2!} n_C^2 n_T + 3n_C n_T^2 + n_T^3 \right)$$

+ similar equation for total energy loss rate

$\tau$  - lifetime

$\chi$  - two-body loss rate

$\xi$  - three-body loss rate

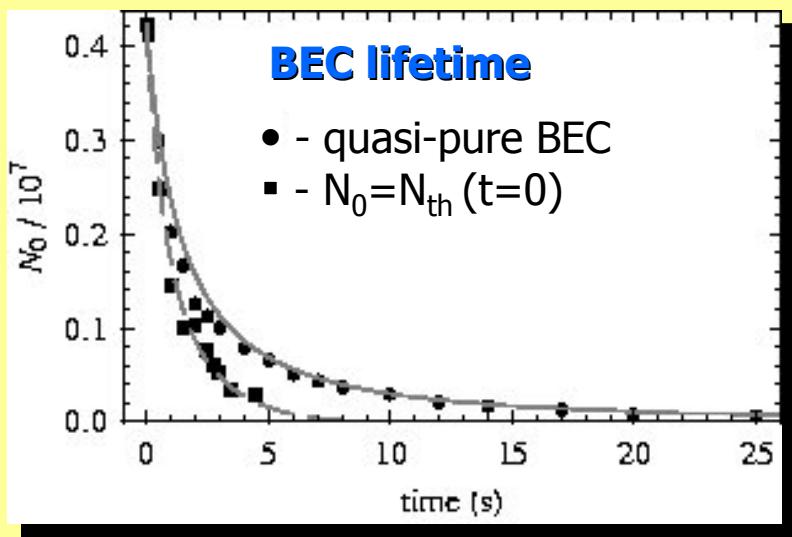
Expressions for condensate and thermal (noncondensate) part density are related!



# Decay of the condensate: the effect of atomic transfer

BEC is detected up to  $t=75$  s

(Cloud lifetime  $\tau \sim 3$  min)



For quasi-pure BEC the model gives decay without atomic transfer (upper curve)

Estimated loss rate constants:  
 $\beta = 2(1) \times 10^{-14} \text{ cm}^3/\text{s}$   
 $L = 9(3) \times 10^{-27} \text{ cm}^6/\text{s}$

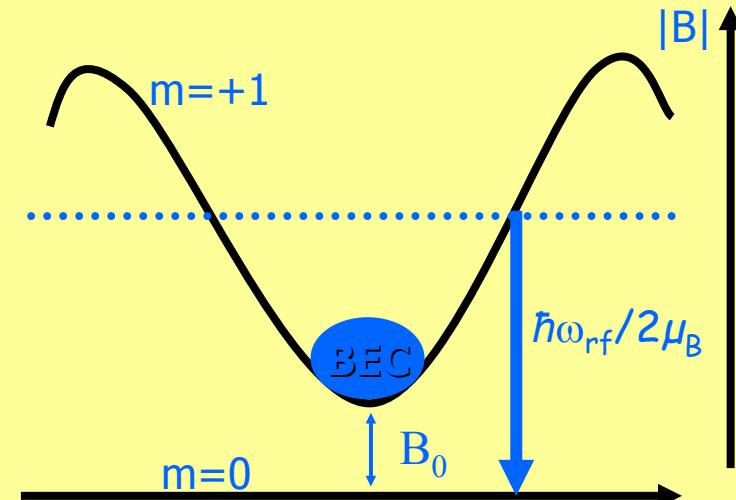
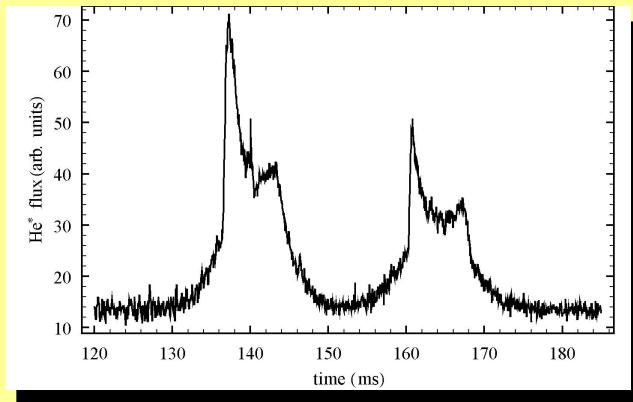
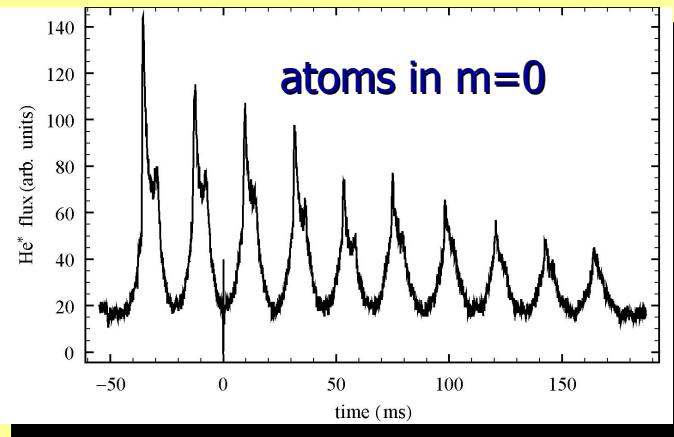
Theoretical predictions:  
 $\beta = 1 \times 10^{-14} \text{ cm}^3/\text{s}$   
 $L = 2 \times 10^{-27} \text{ cm}^6/\text{s}$

P.O. Fedichev *et al.*, Phys. Rev. Lett. **77**, 2921 (1996)



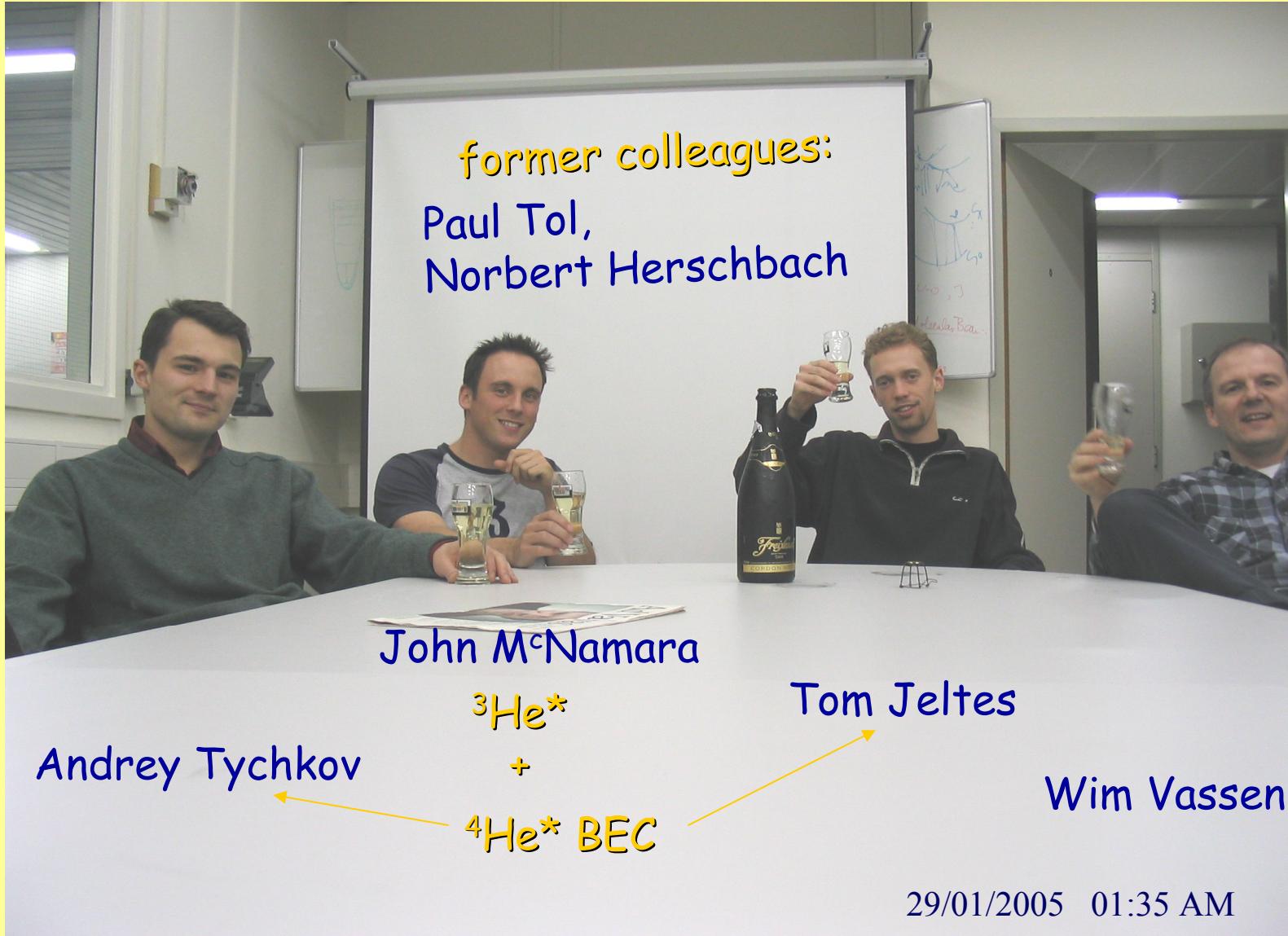
# Rf output coupler - pulsed atom laser

Repeating rf-sweeps  
250 MHz/s

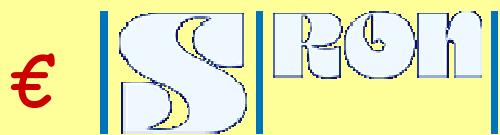
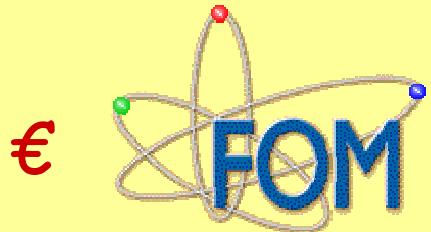


mean field interactions  
determine pulse shape





# Funding:



**4 year  
PhD position  
available !!**

