

# Atom Chip with a Permanent Magnetic Film

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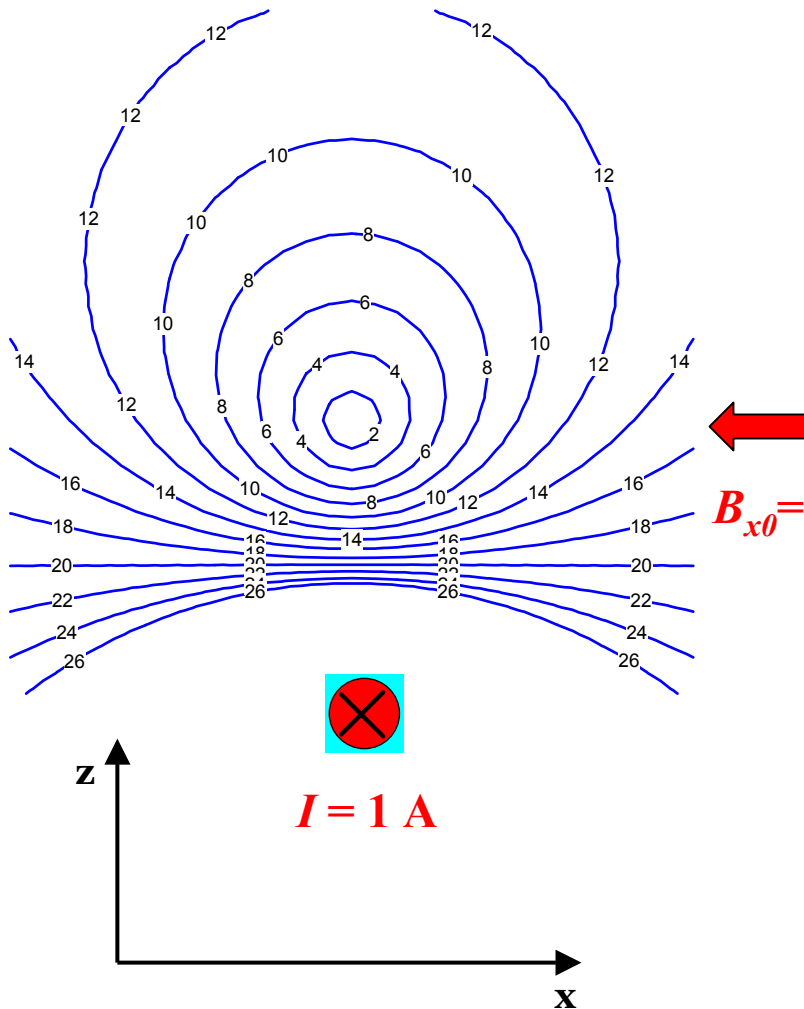
# BEC on a Chip

- **Scaling down** dimensions of atom optical elements
- **Large values** of trap frequencies and **tight confinement** of matter waves
- **Highly anisotropic microtraps (1D quantum gases)**
- **Networks** of microtraps, waveguides, couplers, gratings (integrated atomic circuits)
- **Storage** of matter waves on a chip
- **Magnetic lattice**

**BEC on a Chip** achieved in

**Munich, Tübingen, Heidelberg, Sussex/London, Stanford, Boston, Orsay, Boulder, Brisbane.**

# Atom Chip - Principle



2D quadrupole potential:

Centre at  $z_0 = \frac{2I}{B_{x0}} = 100 \text{ } \mu\text{m}$

Gradient  $\nabla B = \frac{2I}{z_0^2} = 2 \frac{\text{kG}}{\text{cm}}$

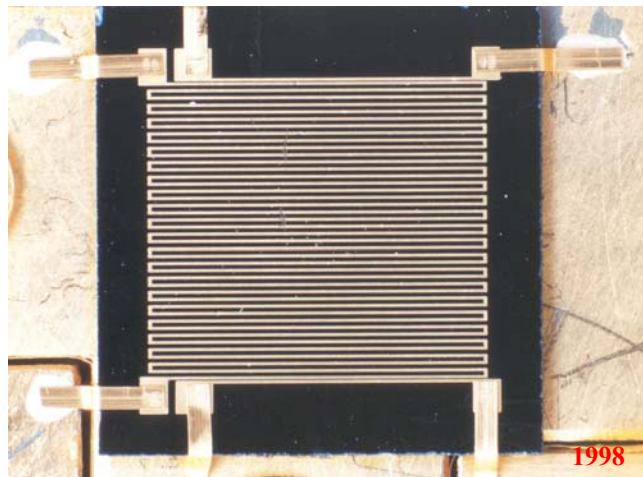
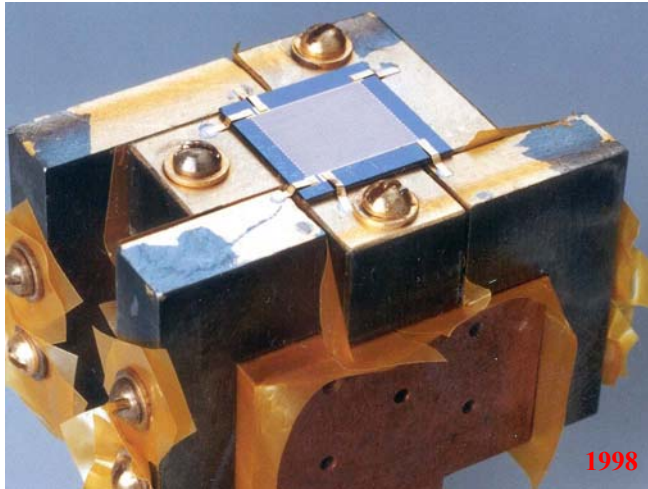
If add  $B_{y0}$  then 2D harmonic potential

Curvature  $\frac{\partial^2 B}{\partial x^2} = \frac{4I^2}{z_0^4 B_{y0}} = 4 \times 10^6 \frac{\text{G}}{\text{cm}^2}$

Trap frequency ( $B_{y0} = 1 \text{ G}$ )

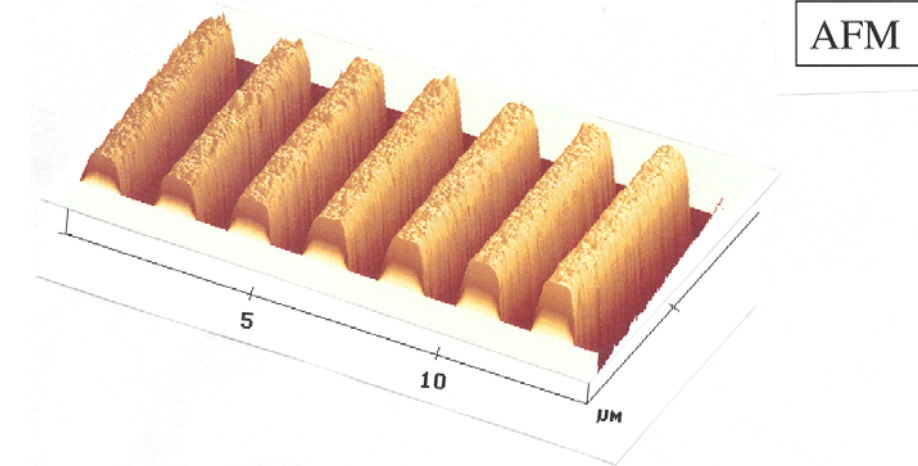
$\frac{\omega}{2\pi} \approx 1.3 \sqrt{\frac{\partial^2 B}{\partial x^2}} \approx 5 \text{ kHz}$

## Current-Carrying Wire Mirror

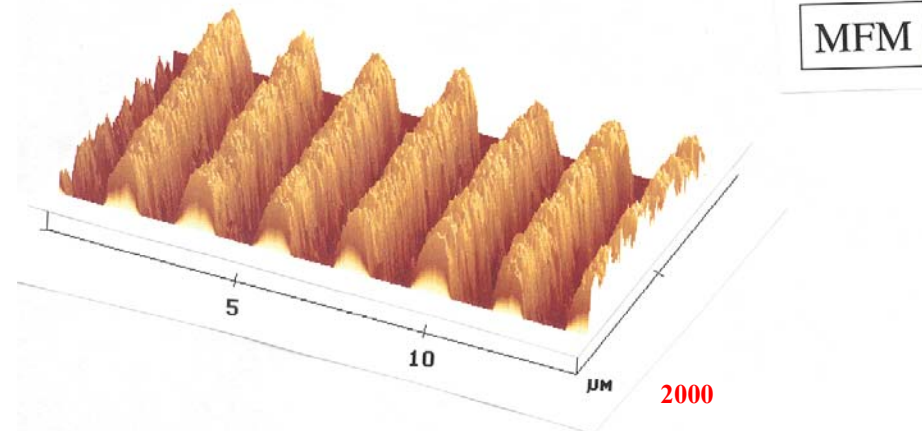


Gold wires on a silicon substrate  
D. Lau *et al*, *Europ. Phys. J. D5*, 193 (1999)

## Magnetic Film Mirror



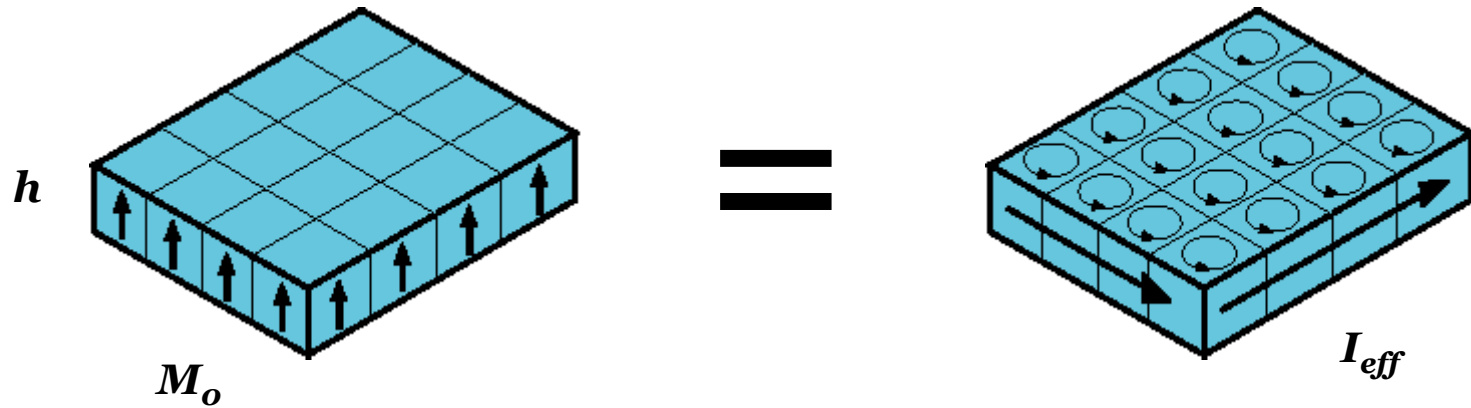
AFM



MFM

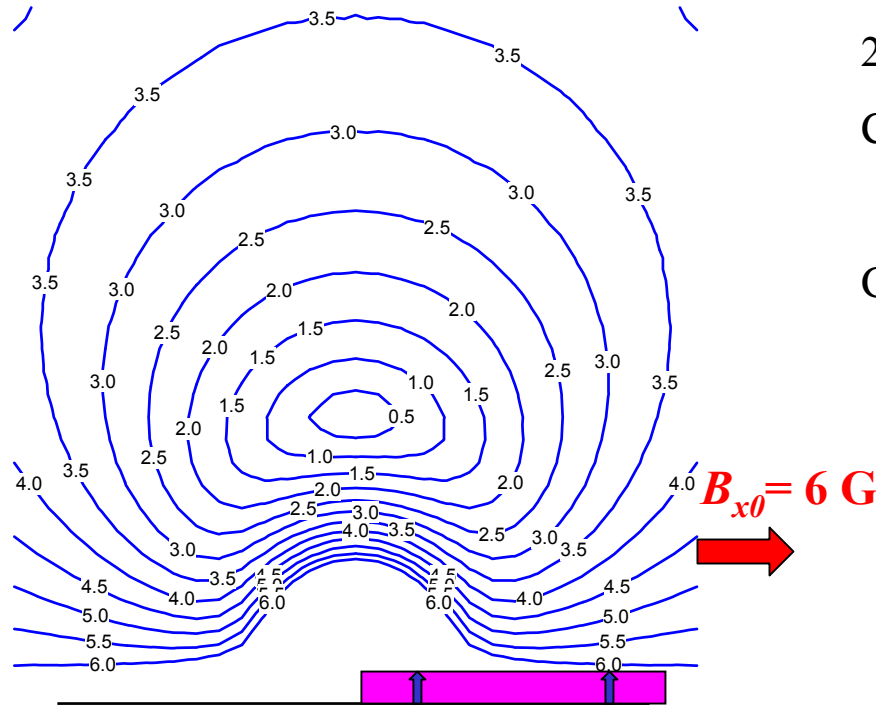
Microstructured magnetic film  
A. Sidorov *et al*, *Comptes Rendus 2, Series IV*, 565 (2001)

# Model of a Magnet

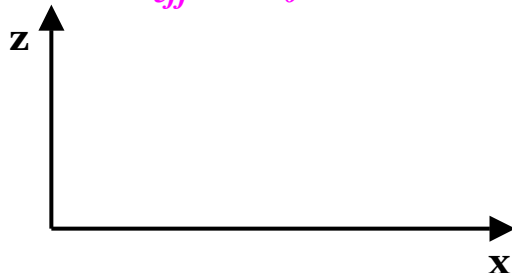


$M_o \times h$  is an “effective current”  $I_{eff}$

# Magnetic Film Waveguide



$4\pi M_0 = 3.8 \text{ kG}$ ,  $1 \mu\text{m}$  thick  
 $I_{\text{eff}} = M_0 \times h = 300 \text{ mA}$



2D quadrupole potential:

Centre at 
$$z_0 = \frac{2hM_0}{B_{x0}} = 100 \mu\text{m}$$

Gradient

$$\nabla B(x=0, z) = \frac{2hM_0}{z_0^2} = 600 \frac{\text{G}}{\text{cm}}$$

If add  $B_{y0}$  then 2D harmonic potential

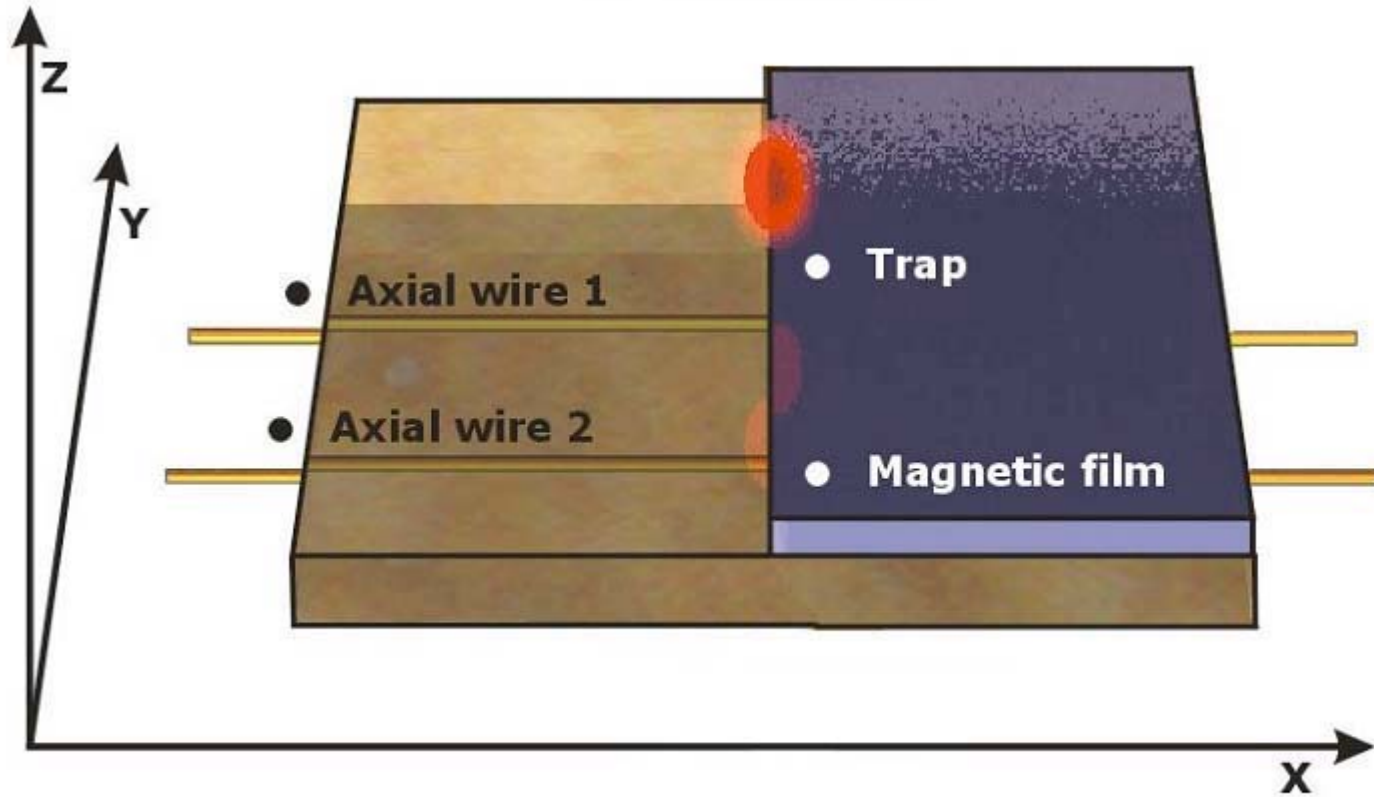
Curvature

$$\frac{\partial^2 B}{\partial x^2}(x=0, z) = \frac{4h^2 M_0^2}{z_0^4 B_{y0}} = 3.6 \times 10^5 \frac{\text{G}}{\text{cm}^2}$$

Trap frequency ( $B_{y0} = 1 \text{ G}$ )

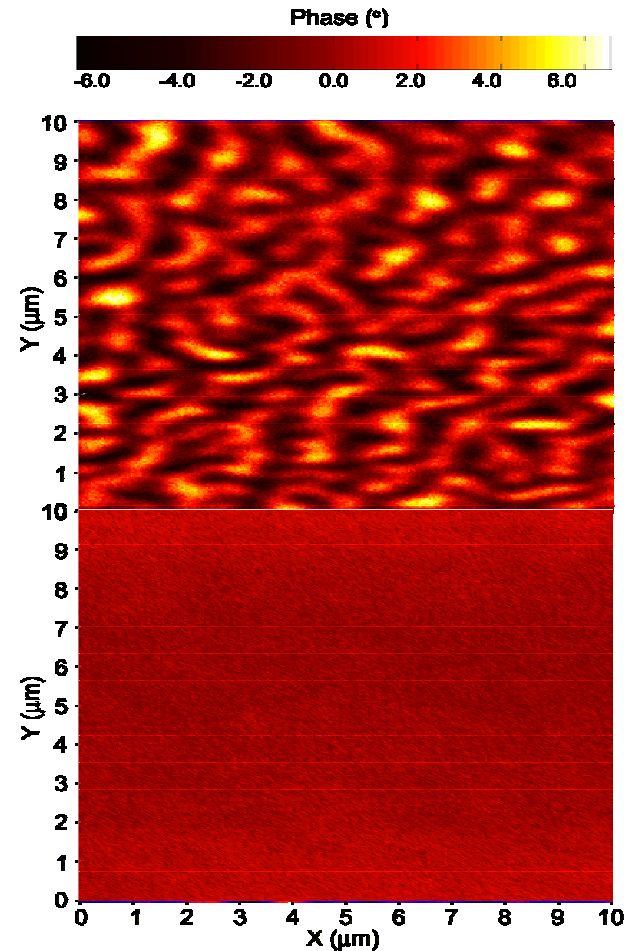
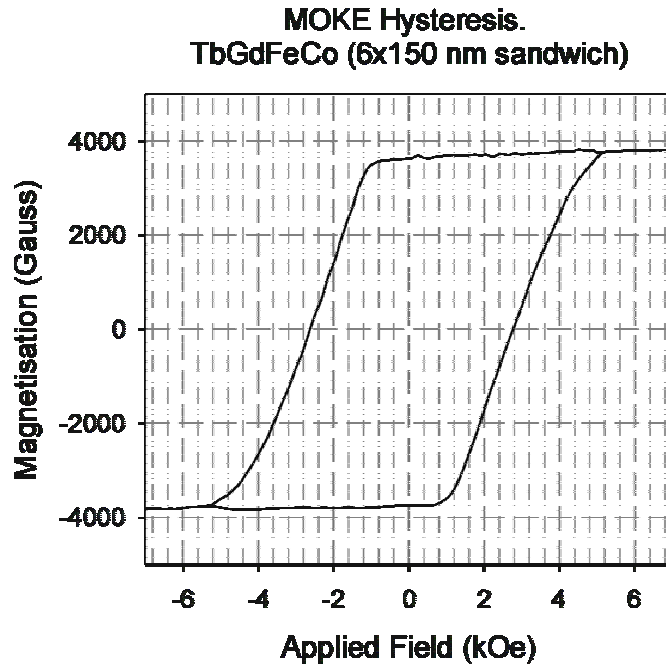
$$\frac{\omega}{2\pi} \approx 1.3 \sqrt{\frac{\partial^2 B}{\partial x^2}} \approx 780 \text{ Hz}$$

# Magnetic Trap: magnetic film + wires



# Magnetic film GdTbFeCo

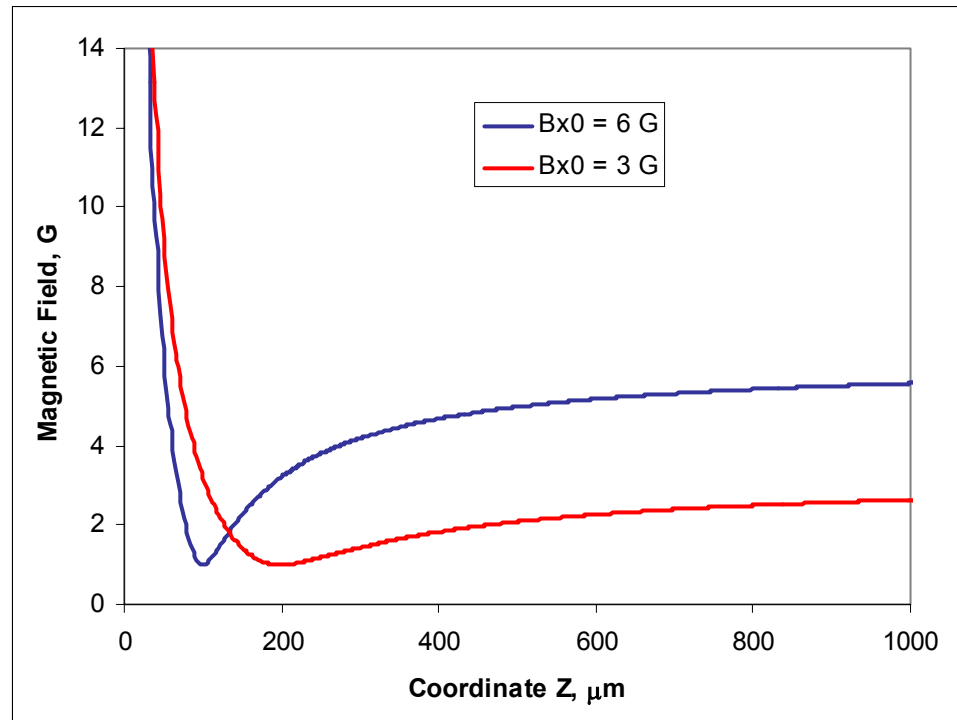
- **Composition**  $Gd_{9.6}Tb_6Fe_{80}Co_{4.4}$
- **Thickness**  $1\ \mu m$  (sandwich structure of 6 layers)
- **Remanent magnetisation**  $4\pi M_o = 3.8\ kG$   
( $I_{eff} = M_o h = 300\ mA$ )
- **Coercivity**  $2.5\ kG$
- **Curie temperature**  $300^{\circ}C$



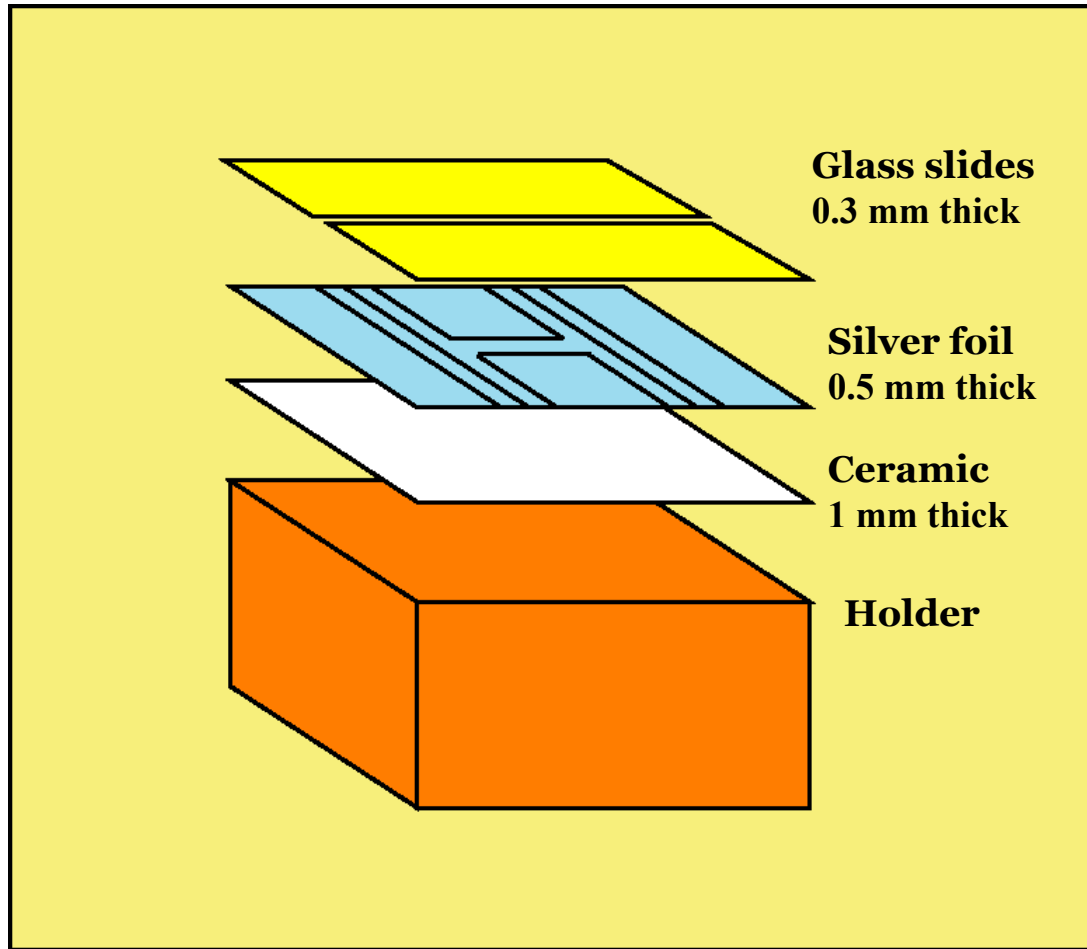
MFM images of unmagnetised (Top) and magnetised (Bottom) TbGdFeCo films



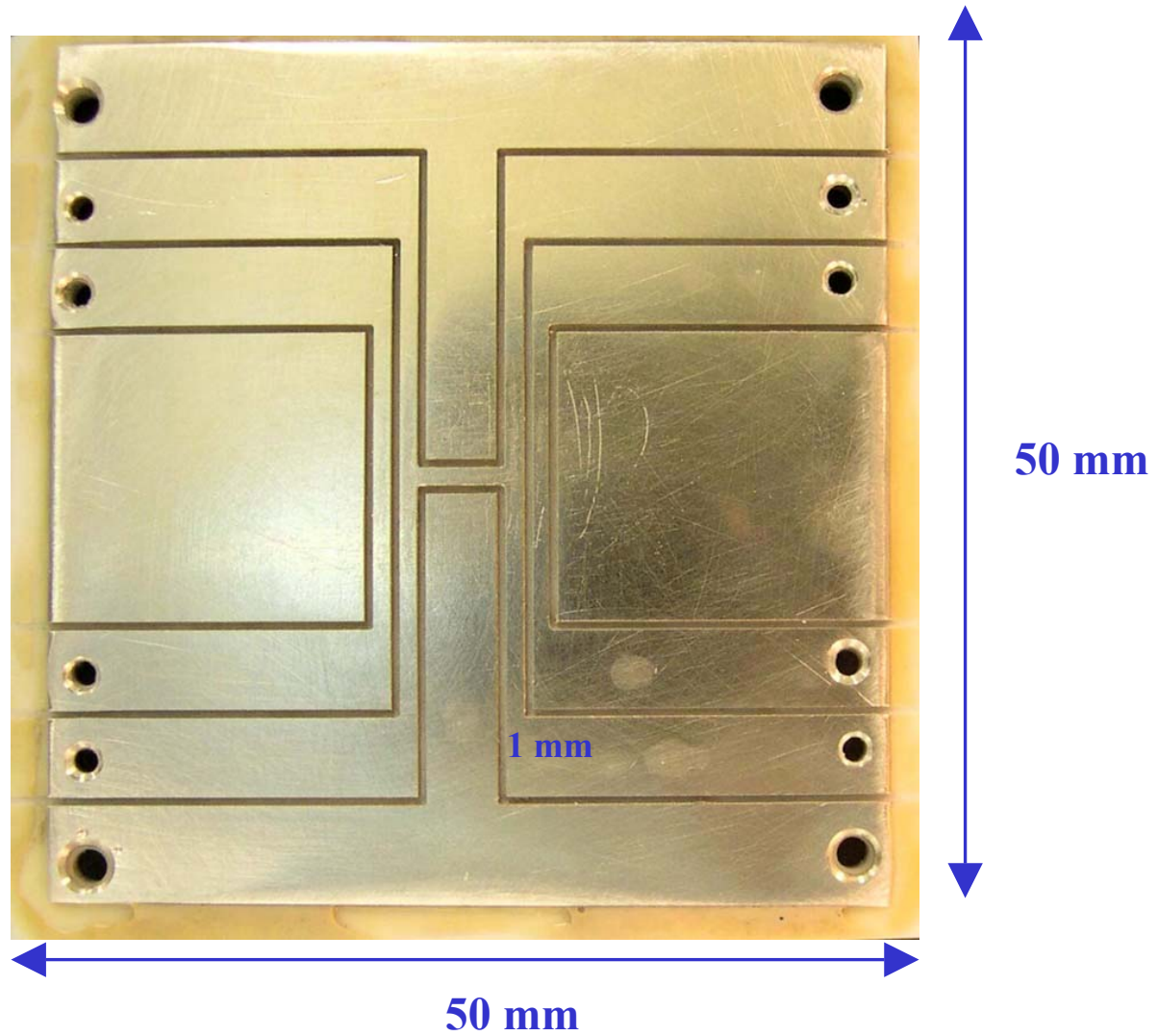
# Magnetic film: trap limits



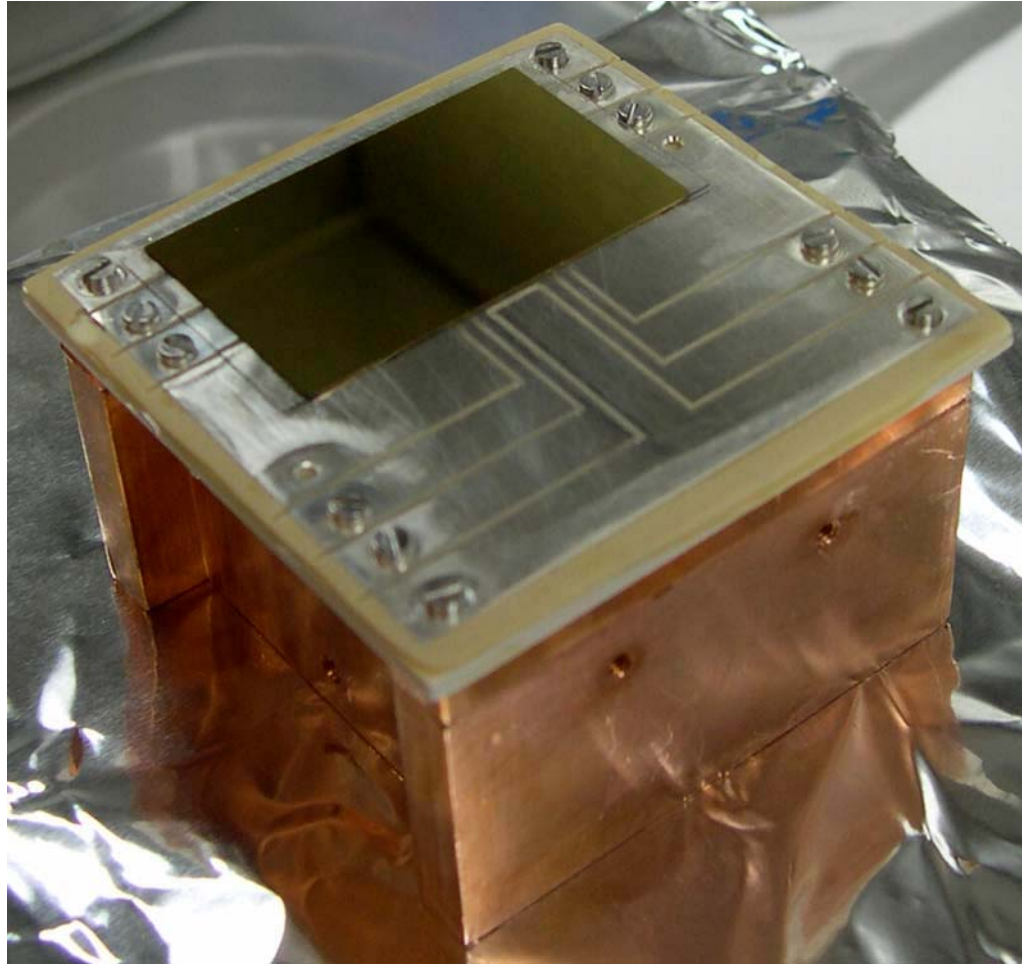
# Atom Chip - Design



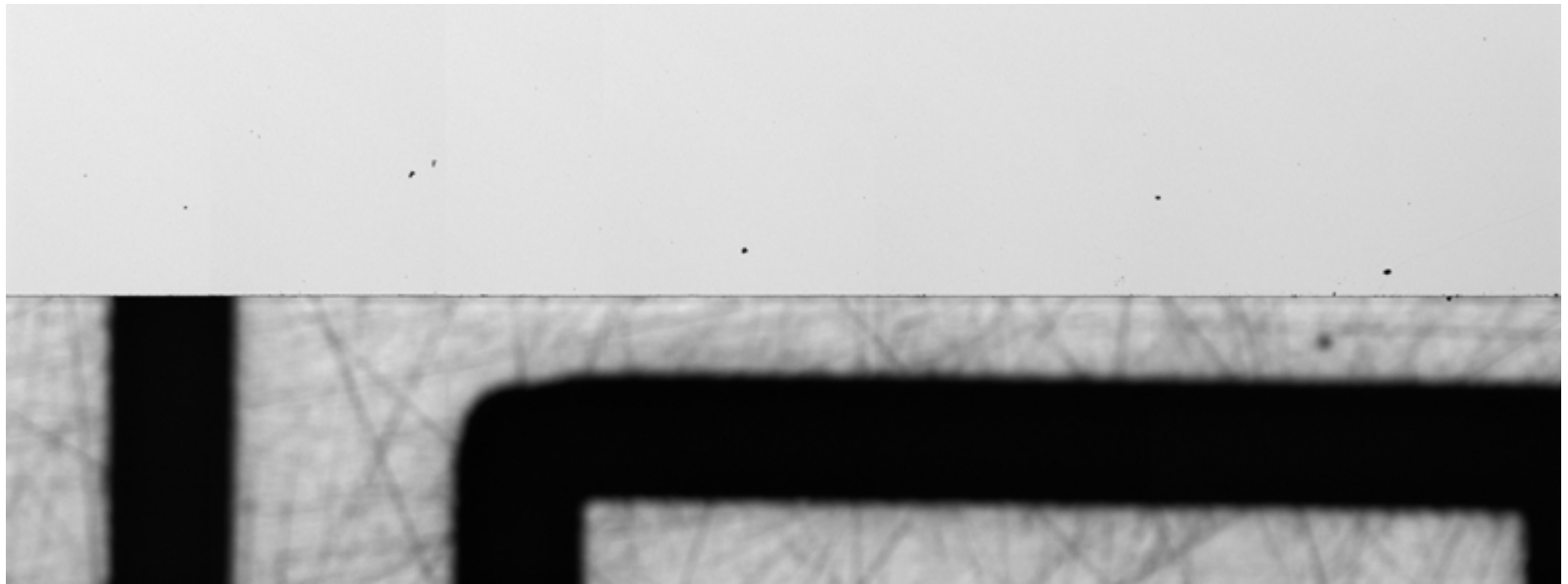
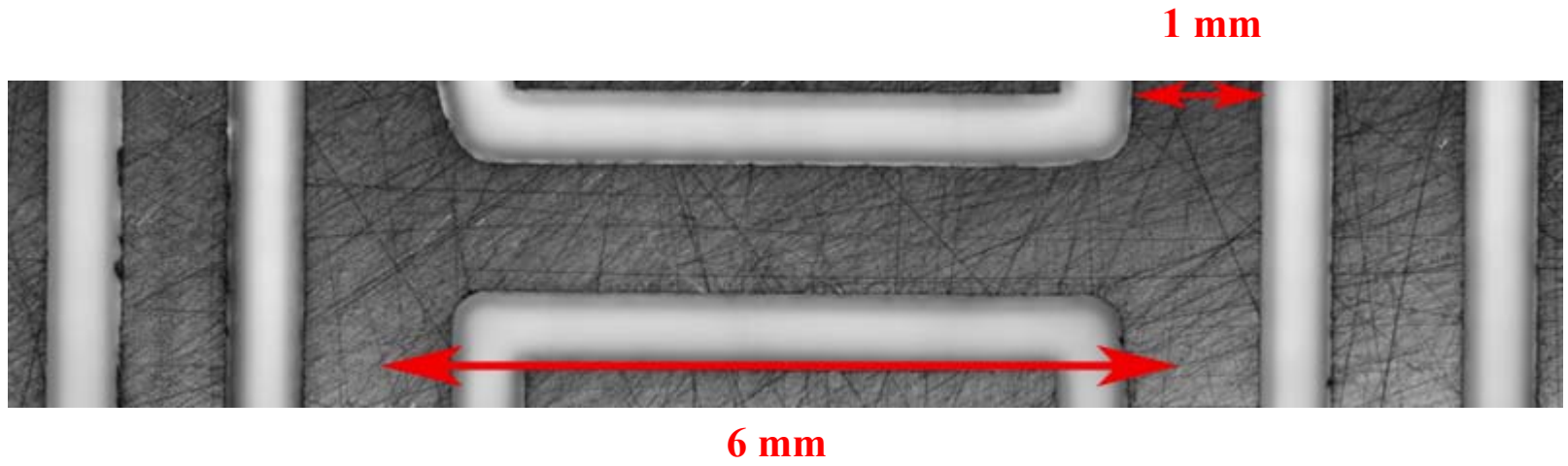
# Current-Carrying Wires



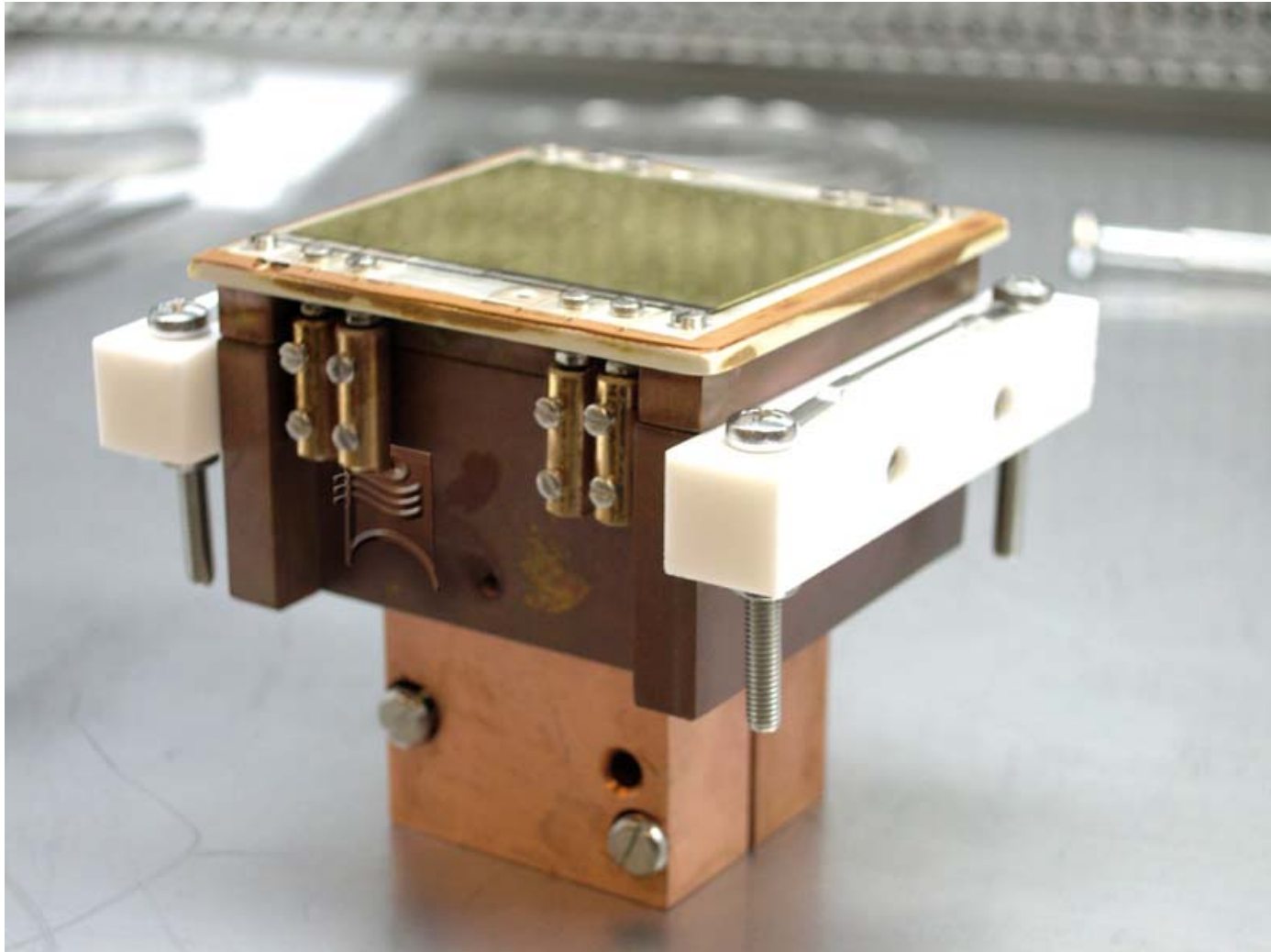
# Magnetic Film & Wires



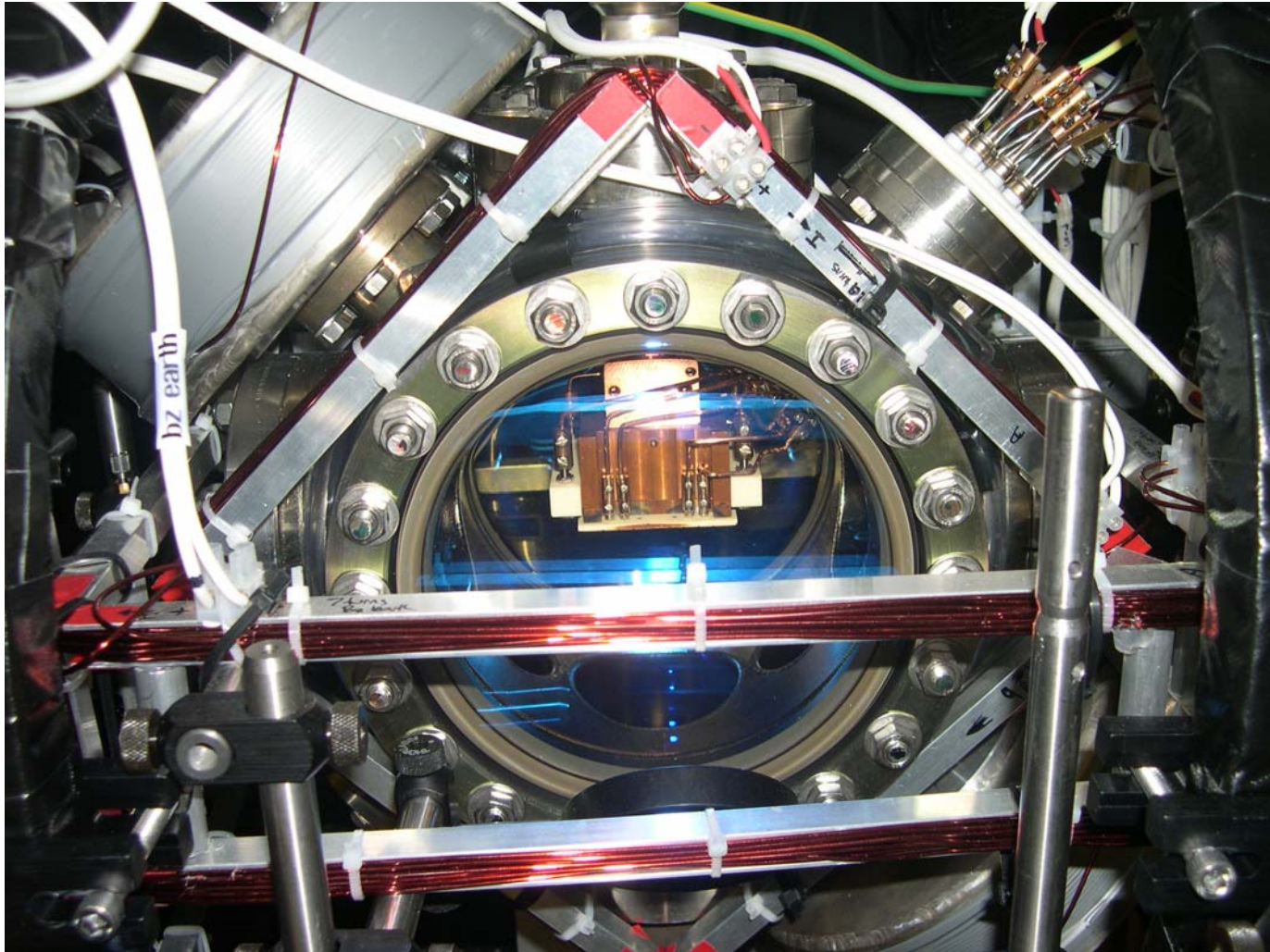
# Under Microscope



# Atom Chip

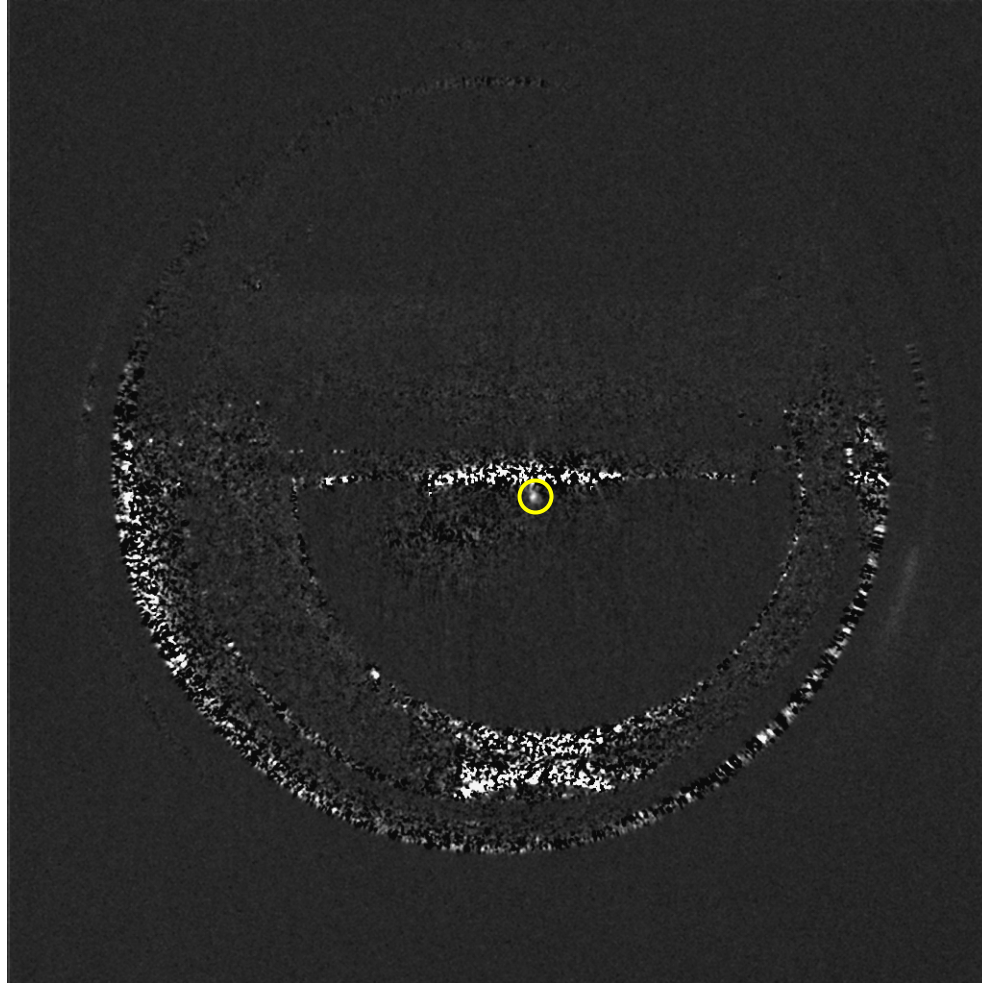


# Atom Chip



$p < 1 \times 10^{-11}$  Torr

# Magneto-Optical Trap: Film + Two Axial Currents

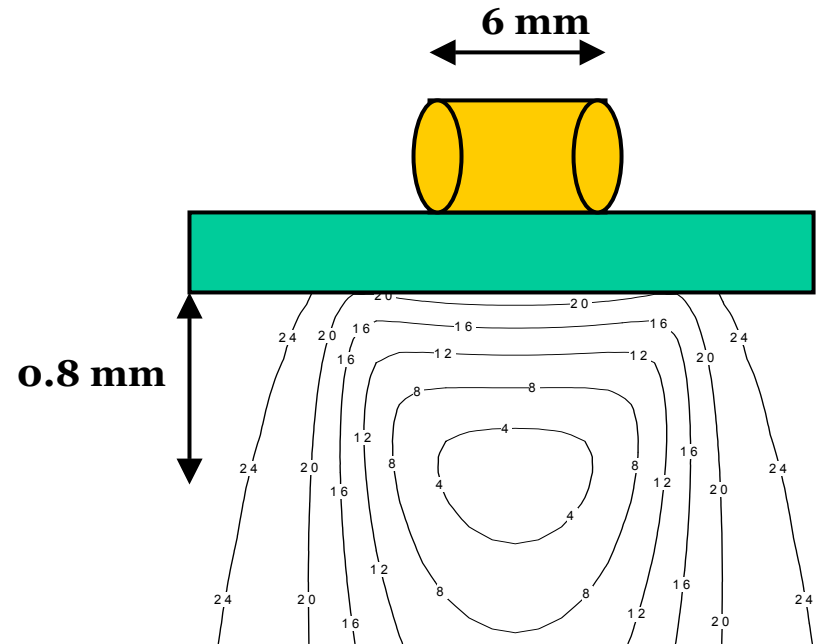
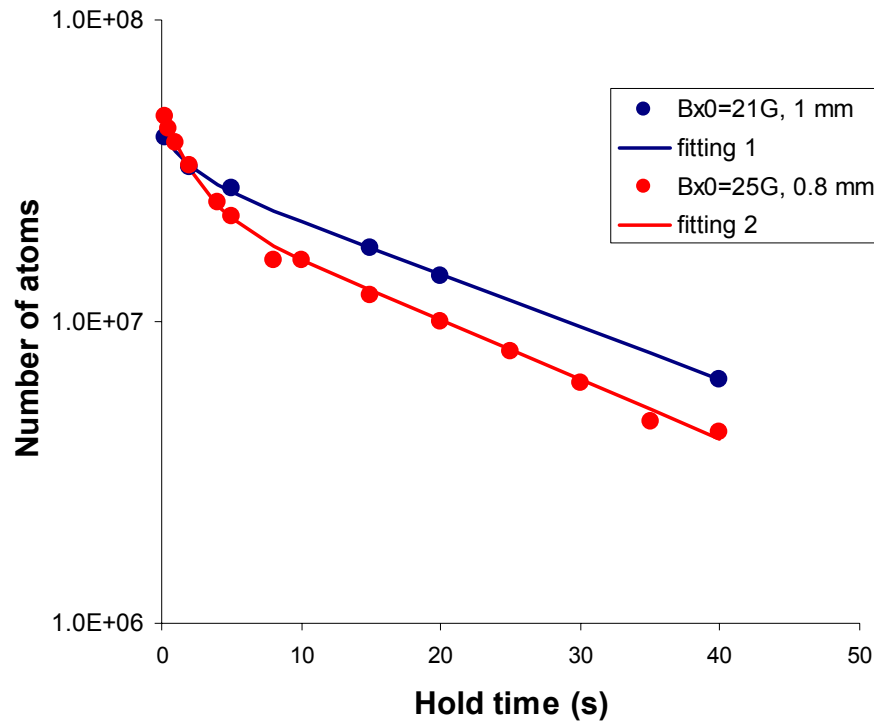




# Loading Sequence

Step	pressure	number of atoms	T	distance from surface
<b>Current 6.5 A through dispenser for 12 s</b>	$1 \times 10^{-10}$ Torr			
<b>Quadrupole reflection MOT (<math>\nabla B = 10</math> G/cm, 25 s holding)</b>	$7 \times 10^{-11}$ Torr	$2.5 \times 10^8$	$90 \mu\text{K}$	6.5 mm
<b>U-wire reflection MOT (<math>\nabla B = 10</math> G/cm):</b>		$2.5 \times 10^8$	$90 \mu\text{K}$	5 mm
<b>Compressed and red detuned MOT (<math>\nabla B = 40</math> G/cm)</b>				2 mm
<b>Optical pumping into the <math>F = 2 m_F = +2</math> state</b>		$2.3 \times 10^8$	$65 \mu\text{K}$	2 mm
<b>Z-wire magnetic trap (<math>I = 13</math> A, <math>B_x = 10</math> G, <math>\nabla B = 40</math> G/cm):</b>		$4 \times 10^7$		2 mm
<b>Compressed Z-wire magnetic trap (<math>I = 19</math> A, <math>B_{x0} = 21</math> G, <math>B_{y0} = 4.2</math> G, <math>B_{\text{offset}} = 0.7</math> G, <math>\nabla B = 150</math> G/cm, <math>\nu_{\text{rad}} = 230</math> Hz, <math>\nu_{\text{ax}} = 20</math> Hz):</b>		$4 \times 10^7$	$150 \mu\text{K}$	1 mm 1.6 mm from wire centre

# Lifetime in compressed MT

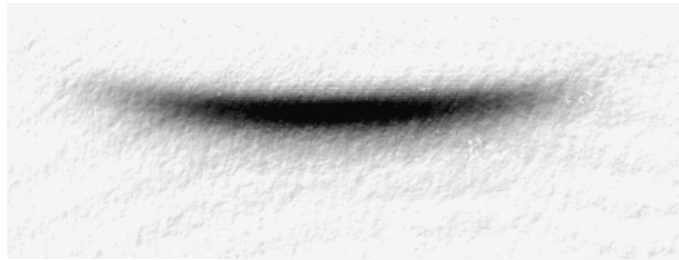


**Fitting 1:**  $N(t) = 3.2 \times 10^7 e^{-t/25s} + 10^7 e^{-t/1.8s}$

**Fitting 2:**  $N(t) = 2.5 \times 10^7 e^{-t/22s} + 2.5 \times 10^7 e^{-t/2s}$

Long lifetime  $\tau_{\text{loss}} = 25 \text{ s}$  – background pressure  $7 \times 10^{-11} \text{ Torr}$

# Imaging of atoms during RF evaporative cooling



**1 s, 14.5 MHz**



**8 s, 2.8 MHz**



**11 s, 1.5 MHz**



**12 s, 1.2 MHz**

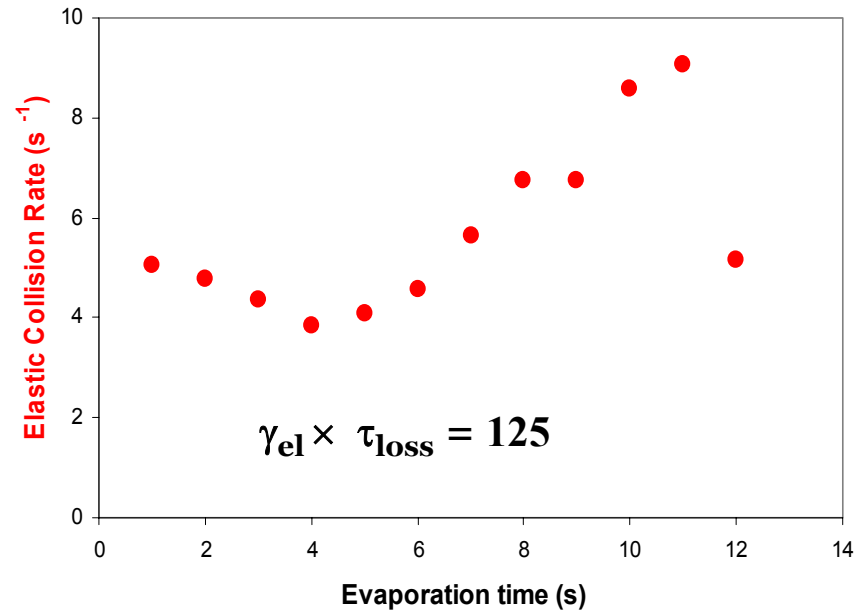
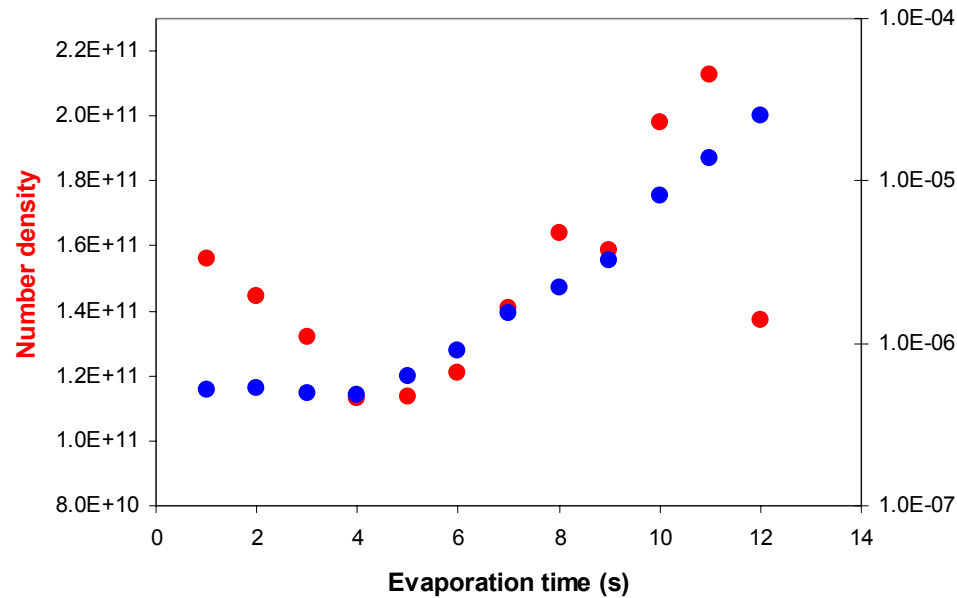
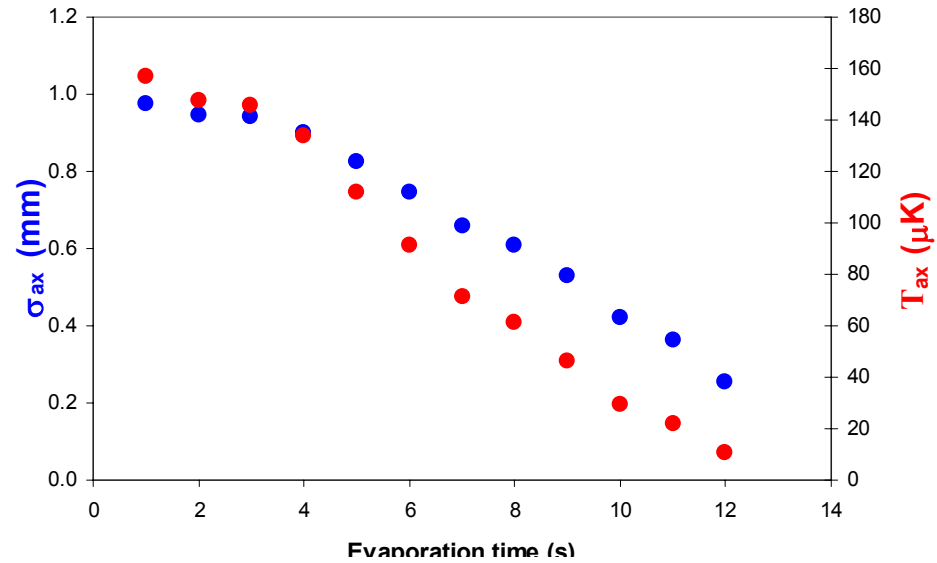
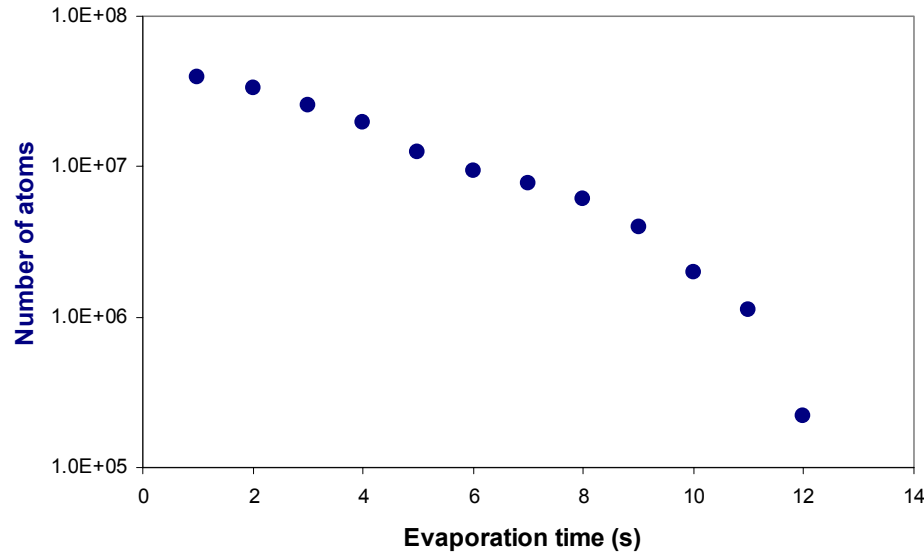
**Logarithmic RF frequency sweep**

**18 MHz – 0.5 MHz in 16 s**



**13 s, 0.92 MHz**

# RF cooling – logarithmic sweep 18 – 0.5 MHz in 16 s



# Conclusion:

- Increase the **elastic collision rate**:
  - better mode matching (currently 20% transfer)
  - to compress the magnetic trap (currently limited by 20 A)
- Increase the **lifetime**  $\tau_{\text{loss}}$ :
  - cool the chip with liquid nitrogen
- RF cooling + **continuous compression** of magnetic trap
- **Fragmentation**
- **Outcoupling**

# Characterisation of Z-Wire Trap

